

2062  
B.E. (Electronics and Communication Engineering)  
Sixth Semester  
EC-624: Control System

Time allowed: 3 Hours

Max. Marks: 50

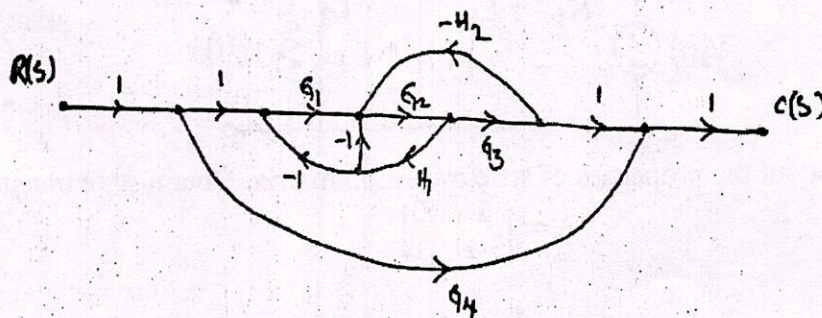
**NOTE:** Attempt five questions in all, including Question No. I which is compulsory and selecting two questions from each Part. Use of scientific calculator is allowed.

x-x-x

- I. (a) What is Force current analogy for the elements of mechanical translational system? (2)  
(b) Why you need feedback controller? Justify with example. (2)  
(c) What is polar plot. (2)  
(d) Compare absolute stability, conditional stability and relative stability. (2)  
(e) How do you determine system eigen values and what is its role in the system response. (2)

Part- A

- II. (a) Compare the AC and DC servomotors. (5)  
(b) Find overall gain for signal flow graph shown below. (5)



- III. (a) Using Routh Hurwitz criterion, determine the number of roots in the right half of S-plane  
 $S^4 + 2S^3 + 10S^2 + 20S + 5 = 0$  (5)  
(b) Derive an expression for time response of second order under damped system to step input. (5)

P.T.O.



(2)

IV (a) Sketch the root locus of the system having

$$G(s)H(s) = \frac{K}{(s)(s+4)(s^2+4s+20)}$$

For positive values of K.

(b) For unity feedback control system, open loop transfer function is given by

$$G(S) = \frac{10(s+2)}{(s^2)(s+4)}$$

Find  $e_{ss}$ , when the input is  $r(t) = 3 - 2t + 3t^2$  and find  $K_v$ ,  $K_p$  and  $k_a$ .

### Part-B

V. Draw the bode plot of the system  $G(s) = \frac{K}{(s)(1+s)(1+0.1s)}$ . Determine values of 'k' such that gain margin = 10dB and phase margin =  $24^\circ$

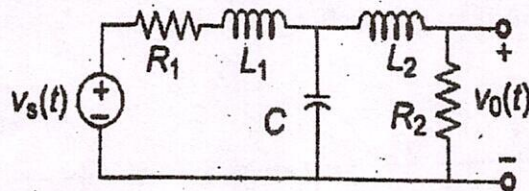
VI. (a) The open-loop transfer function of a system is given by.

$$G(s)H(s) = \frac{K}{s(1+0.1s)(1+0.2s)}$$

Design lag compensator to meet  $K_v = 100\text{sec}^{-4}$  and phase margin  $\geq 30^\circ$ .

(b) Explain Nyquist stability criterion.

VII.(a) Obtain state space representation of following system.



(b) List out the properties of state transition matrix. Obtain state transition Matrix of

$$A = \begin{bmatrix} 1 & 0 \\ -1 & 1 \end{bmatrix}$$