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Exam.Code:0927
Sub. Code: 6898

1128
B.E. (Electronics and Communication Engineering)
Third Semester
EC-302: Signals and Systems

Max. Marks: 50

Time allowed: 3 Hours

NOTE: Attempt five questions in all, including Question No. I which is compulsory and selecting two questions from each Part. Use of scientific calculators is allowed.

x-x-x

- I.
- (a) Differentiate between analog and digital signals. (1)
 - (b) What are elementary signals? (1)
 - (c) What is interpolation function? (1)
 - (d) What is a filter? (1)
 - (e) Explain the concept of negative frequency. (1)
 - (f) What is aliasing? (1)
 - (g) What are advantages of using Laplace transform over Fourier transform? (2)
 - (h) With the help of suitable transform, prove that compression of a signal in time domain is equivalent to its expression in frequency domain and vice-versa. (2)

Part: A

- II. (a) List in how many ways signals can be classified. For the signal $x(t)$ shown in Fig 1, sketch the following signals.

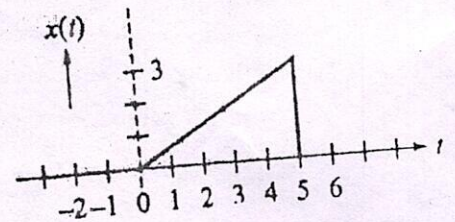


Fig. 1

(1) $x(t-3)$

(2) $x(2t)$

(3) $x(t/2)$

(4) $x(-t)$

- (b) Describe convolution integral and its important properties. (4)

- (c) What are the limitations of using Fourier series for analyzing linear systems? How to resolve these limitations? (2)

- III. (a) Define causal and non-causal systems. For the systems described by the equations below, with the input $f(t)$ and output $y(t)$, determine which of the systems are causal and which are non-causal.

(1) $y(t) = f(t-2)$

(2) $y(t) = f(-t)$

(3) $y(t) = f(at)$ $a > 1$

(4) $y(t) = f(at)$ $a < 1$

- (b) Explain how a continuous-time non-periodic signal can be represented in frequency domain using Fourier transformation. (3)

- (c) For an LTI system with unit impulse response $h(t) = 6e^{-t}u(t)$, find the system response to the input $2u(t)$. (3)

- IV. (a) Describe Dirac Delta function along with its properties. (3)

- (b) Determine and explain the Fourier transform of unit impulse function. (2)

- (c) Find discrete-time Fourier series for $f[k] = \sin 0.1\pi k$. Sketch the amplitude and phase spectra. (5)

Part-B

- V. (a) Establish and explain the relationship between discrete-time Fourier transform and continuous-time Fourier transform. (5)
 (b) Find the response $y[k]$ of a linear time-invariant discrete-time system described by the following difference equation:

$$y[k+2] + y[k+1] + 0.16y[k] = f[k+1] + 0.32f[k]$$

Given that the input $f[k] = (-2)^{-k} u(k)$. All initial conditions are zero. (5)

- VI. (a) State and explain sampling theorem. What is its significance? Determine the Nyquist rate and Nyquist interval for the following signal:

$$f(t) = \frac{1}{2\pi} \cos(4000\pi t) \cos(1000\pi t) \quad (4)$$

- (b) Find the loop current in the circuit shown in Fig 2 using Laplace transformation method. Assume all initial conditions to be zero. (3)

- (c) Find the inverse Laplace transform of

$$F(s) = \frac{8s+10}{(s+1)(s+2)^3} \quad (3)$$

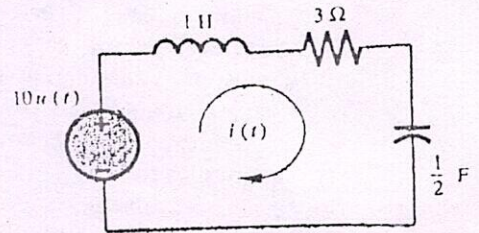


Fig. 2

- VII. (a) For the signal $f(t) = e^{-at} u(t)$, find the Laplace transform and the region of convergence. (4)
 Further explain the significance of region of convergence. (3)
 (b) Explain merits of state-space analysis for describing systems. (3)
 (c) Define z-transform. Give condition/s for its existence. (3)